

# Quantifying the diffuse continuum contribution from BLR gas:

a modeling approach

### Mike Goad, Daniel Lawther, Kirk Korista, Otho Ulrich, Marianne Vestergaard



### Our approach:

Build a model BLR

match the *intensities* (*variability timescale/amplitude*) of *strongest* UV/optical emission lines in NGC 5548 (\*\*\*For objects of interest, no such thing as a steady-state model\*\*\*)

Compute wavelength-dependent (UV-optical-IR) flux and variability timescale of DC arising from the same gas

□ Scale delays according to the fractional flux contribution

DC/(INCIDENT + DC)

 Drive with model continuum light-curves estimate statistically likely delays (CCF/JAVELIN)
 + dependence on *characteristic* timescale & *variability amplitude* of driving continuum (MC approach)

Mike Goad



Types of model:

Pressure law model : Rees, Netzer and Ferland 1989, Goad, O'Brien, Gondhalekar 1993 Kaspi and Netzer 1999 Netzer 2000

Local Optimally emitting Clouds : Baldwin, Ferland, Korista, Verner 1995, Korista and Goad 2000, 2001, 2004.



## (1) Pressure Law models :

Lawther, Goad, Korista, Ulrich, Vestergaard 2017, in prep

Run of physical conditions with radius specified by simple radial pressure law

$$P(r) \propto r^{-s} \xrightarrow{\text{const Temp}} n_{\mathrm{H}}(r) \propto r^{-s} \qquad \qquad U(r) \propto r^{s-2}$$

 $\begin{array}{ll} \mbox{Assume mass conservation} & A_c(r) \propto R_c^2 \propto r^{2s/3} \\ \mbox{+ spherical clouds} & N_{col}(r) \propto R_c n_H \propto r^{-2s/3} \end{array}$ 

Line luminosity 
$$L = 4\pi \int_{r_{in}}^{r_{out}} \epsilon(r) A_c(r) n_c(r) r^2 dr$$

Differential covering  $dC(r) \propto A_c(r) n_c(r) dr \propto r^{2s/3-3/2} dr$  fraction Mike Goad Atlante



Normalization condition : specify

$$\Phi_{\rm H}, n_{\rm H}, N_{\rm col}$$
 at some  $r$ 

+ inner and outer radius, and total covering fraction Ctot

Choose line radiation pattern – we assume clouds are spherical

$$\epsilon(r,\theta) = \epsilon_{totl} [1 - (2F(r) - 1)\cos\theta]$$
$$F(r) = \epsilon_{inwd} / \epsilon_{totl}$$

Mike Goad



Two cases:

s=0, constant density nh, constant column density Nh

+ s=2, constant ionization parameter U





IVIIKE GUAU



#### Similarly – *constant U models*



Broad range in ionization for which we can exceed the measured line luminosities

Mike Goad







Mike Goad





Mike Goad









Density dependence constant density models

Mike Goad





#### Constant ionization models

Mike Goad





Aside :





# (2) Local optimally emitting clouds (LOC) models *Korista and Goad 2000,2001*

At any given radius there exists a range of gas densities/column densities (or simply .....more than one pressure-law!)

Spectrum dominated by selection effects introduced by atomic physics and general radiative transfer within the large pool of line-emitting entities

Strengths:

Summation over cloud distribution leads to:

(i) typical AGN spectrum(ii) Ionization stratification(iii)Luminosity-Radius relation arises naturally



#### Deriving the spectrum:

Give each line emitting entity a weight in 2-dimensions: gas density and distance

Assume: analytic, separable, and a power-law in each variable

 $g(n_{
m H}) \propto n_{
m H}^{eta}$  Baldwin 1997 – composite quasar spectra best fit if indices in both are close to -1. $f(R) \propto R^{\Gamma}$ 

In our models assume :  $\beta = -1$ 

and fit for  $\Gamma$  Korista and Goad (2000) found a value of -1.2 gives an Acceptable fit to the line luminosities For NGC~5548

















#### Summary:

# (1) At typical Nh,nh, U appropriate for BLR there exists a significant diffuse continuum *arising from the same gas that emits the broad emission-lines*

(2) Form of the delay spectrum (including underlying powerlaw ) approximately matches that observed, especially around Balmer and Paschen jumps.

(3) Even when included, disks still appear too large for their luminosity(?)

(4) We need to find new/improved ways (fourier analysis. PCA) of isolating the major variable contributions to the observed continuum bands